



Repetition Structures

Chapter 8

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Part of the Picture: Intro to Algorithm Analysis

Chapter Objectives

- Expand on intro to repetition, Chapter 4
- Examine **for** loops in more detail
- Compare, contrast **while** and **do** loops
- Introduce recursion
- Look at event-driven programming and state diagrams
- Take a first look at algorithm analysis

8.1 Introductory Example: the Punishment of Gauss



Problem:

As a young student, Gauss was disciplined with the task of summing the numbers from 1 through 100. He solved the problem almost immediately. We will learn his strategy later.



We will construct a method, that given n ,
will sum $1 + 2 + \dots + n$

Object Centered Design

○ Objects:

Objects	Kind	Type	Movement	Name
limit value, n	varying	int	received	n
1+2+...+n	varying	int	returned	

○ Specification of method

```
public class Formula
{   public static int summation(int n)
    { . . . }
}
```

Operations/ Algorithm

1. Initialize `runningTotal` to 0
2. Initialize `count` to 1
3. Loop as long as `count <= n`
 - a. Add `count` to `runningTotal`
 - b. Add 1 to `count`
4. Return `runningTotal`

`for` Loop Version of `summation()` Method

```
public static int summation(int n)
{
    int runningTotal = 0;

    for (int count = 1; count <= n; count++)
        runningTotal += count;

    return runningTotal;
}
```

Note driver program for
`summation()`, Figure 8.2

8.2 Repetition:

The `for` Loop Revisited

- Counter-controlled loops: loops where a set of statements is executed once for each value in a specified range

Initialization
expression

Loop
condition

Step
expression

```
for (int count = n; count >= 0; count--)  
    runningTotal += count; // descending form
```

Loop body

Nested Loops: Displaying a Multiplication Table

- The statement that appears within a **for** statement may itself be a **for** statement

```
for (int x = 1; x < lastX; x++)  
    for (int y = 1; y <= lastY; y++)  
    {  
        product = x * y;  
        theScreen.println("x * y = "+product);  
    }
```

Inner loop

Outer loop



Warning

- If the body of a counting loop alters the values of any variables involved in the loop condition, then the number of repetitions may be changed

```
for (int I = 0; I <= limit; I++)  
{  
    theScreen.println(I);  
    limit++;  
}
```

What happens
in this situation?

Forever Loops

- Occasionally a need exists for a loop that runs for an indefinite number of times
`for (; ;)
 statement;`
- The above statement will do this ... it will run forever ... unless ...
- The body of the loop contains a statement that will terminate the loop when some condition is satisfied

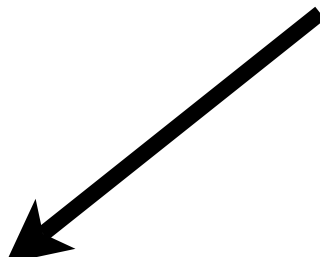
The **break** Statement

- Two forms
break;
break identifier;
- First form used to terminate execution of an enclosing loop or **switch** statement
- Second form used to transfer control to a statement with **identifier** as the label
identifier : Statement;

Use of the **break** Statement

```
for ( ; ; )  
{ statement;  
  . . .  
  if (termination_condition)  
    break;  
  . . .  
  statement;  
}
```

Could be statements which offer a menu choice.
Termination condition would be **choice == 'Q'**



Then these would be statements which process the menu choice when it is not 'Q'



In either case, when the user enters 'Q' to Quit, the termination condition is met and the loop terminates

The `continue` Statement

- Two forms:
`continue;`
`continue label;`
- First form transfers control to the innermost enclosing loop
 - current iteration terminated, new one begins
- Second form transfers control to enclosing labeled loop
 - current iteration terminated, new one begins

Returning From a Loop

```
for ( ; ; )  
{theScreen.print(MENU) ;  
  choice = theKeyboard.readChar()  
  if (choice >=0 && choice <= 5)  
    return choice;  
  theScreen.println( "error .. " ); }
```



- Assuming this forever loop is in a value returning method when one of options 0 – 5 is chosen.
- the loop is terminated and ...
- the menu choice returned by the function
- invalid choices keep the loop running

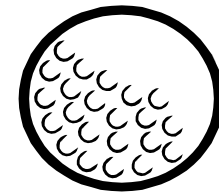
8.3 Repetition:

The **while** loop

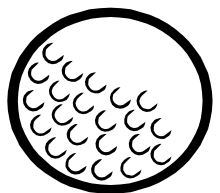
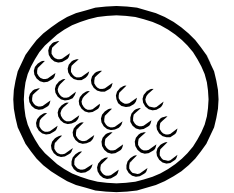
- This is a looping structure that tests for the termination condition at the top of the loop
- also called a pretest loop
- a simpler syntax than placing a **break** in an **if** statement at the beginning of a forever loop

Example: Follow the Bouncing Ball

Consider a ball that when dropped, it bounces to a height one-half to its previous height.



We seek a program which displays the number of the bounce and the height of the bounce, until the height of the bounce is very small



Behavior

For ball bounce results:
Enter height of ball drop -> 10

Bounce 1 = 5
Bounce 2 = 2.5
...

- Prompt for and receive height of drop
- Display bounce number and height of bounce

Objects

Objects	Kind	Type	Name
current height	varying	real	height
bounce number	varying	int	bounce
a very small number	constant	real	SMALL_NUM

Operations/ Algorithm

1. Initialize **bounce** to 0
 2. Prompt, read value for **height**
 3. Display original **height** value with label
 4. Loop:
 - a. if **height** < **SMALL_NUM**, terminate loop
 - b. replace **height** with **height/2**
 - c. add 1 to **bounce**
 - d. display **bounce** and **height**
- End Loop

Coding and Trial

- Note source code, Figure 8.4 sample run

- Note use of while statement

```
while (height >= SMALL_NUMBER)
{ height *= REBOUND_FACTOR;
  bounce++;
  theScreen.println( ... );
}
```

Syntax

```
while (loop_condition)  
    statement;
```

- Where
 - `while` is a keyword
 - `loop_condition` is a boolean expression
 - `statement` is a simple or compound statement

while Statement Behavior

```
while (loop_condition)  
    statement;
```

1. `loop_condition` evaluated

2. If `loop_condition` is true

- `statement` executed

- control returns to step 1

Otherwise:

- Control transferred to statement following the `while`

Note – possible that statement is never executed – called "zero-trip behavior"

Loop Conditions vs. Termination Conditions

- Forever loop
 - continues repetition when condition is false
 - terminates when condition is true
- **while** loop is exactly opposite
 - continues repetition while condition is true
 - terminates when it goes false
- Warning for either case:
 - Make sure condition is affected by some statement in the loop to eventually result in loop termination

8.4 Repetition:

The **do** Loop

- **while** loop evaluates loop condition before loop body is executed
- We sometimes need looping with a posttest structure
 - the loop body will always execute at least once
- Example: Making a Program Pause
We seek a method that, given a length of time will make a program pause for that length of time

Preliminary Analysis

- `System` class from `java.lang` provides a method `currentTimeMillis()`
- returns number of millisec since 1/1/1970
- We will record the results of the function at the start of our pause method
- repeatedly view results to determine elapsed time
- Called “busy-waiting” technique

Objects

Objects	Kind	Type	Movement	Name
num sec	varying	double	received	seconds
num millsec	varying	long		milliseconds
starting time	constant	long		START_TIME
current time	varying	long		currentTime

Method specification

```
public class Controller
{ public static void pause(double seconds)
    { . . . }
}
```

Operations / Algorithm

1. Receive `seconds`
2. Initialize `START_TIME`
3. If `seconds > 0`
 - a. compute `milliseconds` from `seconds`
 - b. loop
 - get `currentTime`
 - if `currentTime-START_TIME > milliseconds`
 - terminate repetition
 - End loop
 - else
 - display error message

Coding and Testing

- Note source code Figure 8.5, driver Figure 8.6

- Note looping mechanism

do

```
    currentTime = System.currentTimeMillis();  
while (currentTime - START_TIME <=  
        milliseconds);
```

Syntax

`do`

`statement`

`while (loop_condition) ;`

- Where

- `do` and `while` are keywords

- `statement` is simple or compound

- `loop_condition` is a boolean expression

- note requirement of semicolon at end

Behavior

- When execution reaches a **do** loop:
 1. **statement** is executed
 2. **loop_condition** is evaluated
 3. if **loop_condition** is true
control returns to step 1.
otherwise
control passes to 1st statement following
loop structure

Loop Conditions vs. Termination Conditions

- **do** loop and **while** loop both use loop condition that
 - continues repetition as long as it is true
 - terminates repetition when false
- forever loop does the opposite
- If **do** loop or **while** loop used $x \leq 7$ then forever loop would use $x > 7$ (exact opposite comparison)

Input do Loops: The Query Approach

- Recall two different types of input loops
 - counting approach
 - sentinel approach
- Counting approach asked for number of inputs to be entered, used `for()` loop
 - requires foreknowledge of how many inputs
- Sentinel approach looked for special valued input to signify termination
 - requires availability of appropriate sentinel value

Query Approach

- Use a do loop
 - loop body always executed at least one time
- Query user at end of loop body
 - user response checked in loop condition

```
do {  
    // whatever ...  
    . . .  
    theScreen.print("More inputs? (Y/N) : ");  
    response = theKeyboard.readChar();  
} while (response=='y' || response=='Y');
```

Query Methods

- Note the excess code required in the loop
 - to make the query
 - to check results
- This could be simplified by writing a method to do the asking
 - method returns boolean result
 - use call of query method as the loop condition

```
do { ...  
    ... } while (Query.moreValues());
```

8.5 Choosing the Right Loop

- Determined by the nature of the problem
- Decisions to be made:
 1. Counting or general loop?
 - Ask: does algorithm require counting through fixed range of values?
 2. Which general loop?
 - pretest or posttest
 - forever loop with test in mid-loop

Introduction to Recursion

- We have seen one method call another method
- most often the calling method is `main()`
- It is also possible for a method to call itself
- this is known as recursion

Example: Factorial Problem Revisited

- Recall from section 5.3
Given an integer n , calculate n -factorial
 $1 * 2 * 3 * \dots * (n - 1) * n$

- One way to define factorials is

$$n! = \begin{cases} 1 & n = 0 \\ n \times (n - 1)! & n > 0 \end{cases}$$

This is a recursive definition

Recursive Definitions

$$n! = \begin{cases} 1 & n = 0 \\ n \times (n - 1)! & n > 0 \end{cases}$$

- An operation is defined recursively if:
 - it has an anchor or base case
 - it has an inductive or recursive step where the current value produced define in terms of previously define results

Recursive Method for $n!$

```
public static int factorial(int n)
{
    if (n == 0) ← Anchor case
        return 1;
    else ← Inductive step
        return n * factorial(n - 1); }
```

- Consider: what happens when $n < 0$?
- Why is this called infinite recursion?

Example 2: Recursive Exponentiation

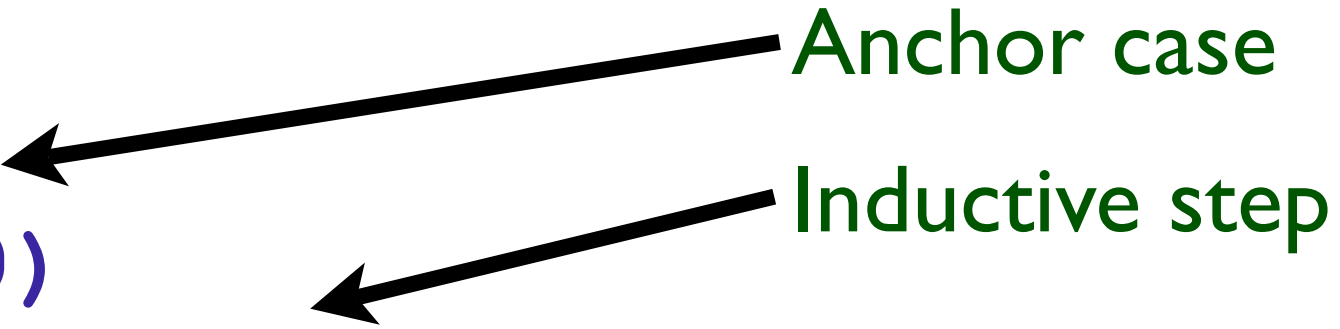
- Raising a number to an integer power can also be done with recursion

$$x^n = \begin{cases} 1 & n = 0 \\ x^{n-1} \times x & n > 0 \end{cases}$$

Objects	Type	Kind	Movement	Name
base value	double	varying	received	x
exponent	int	varying	received	n
x^n	double	varying	returned	

Recursive Exponentiation Method

```
public static double power(double x, int n)
{
    if (n == 0)
        return 1.0;
    else if (n > 0)
        return power(x, n - 1) * x;
    else { theScreen.println("error");
          return 1.0; }
}
```



Anchor case

Inductive step

What keeps this method from infinite recursion?

8.7 Graphical/Internet Java: A Guessing Game

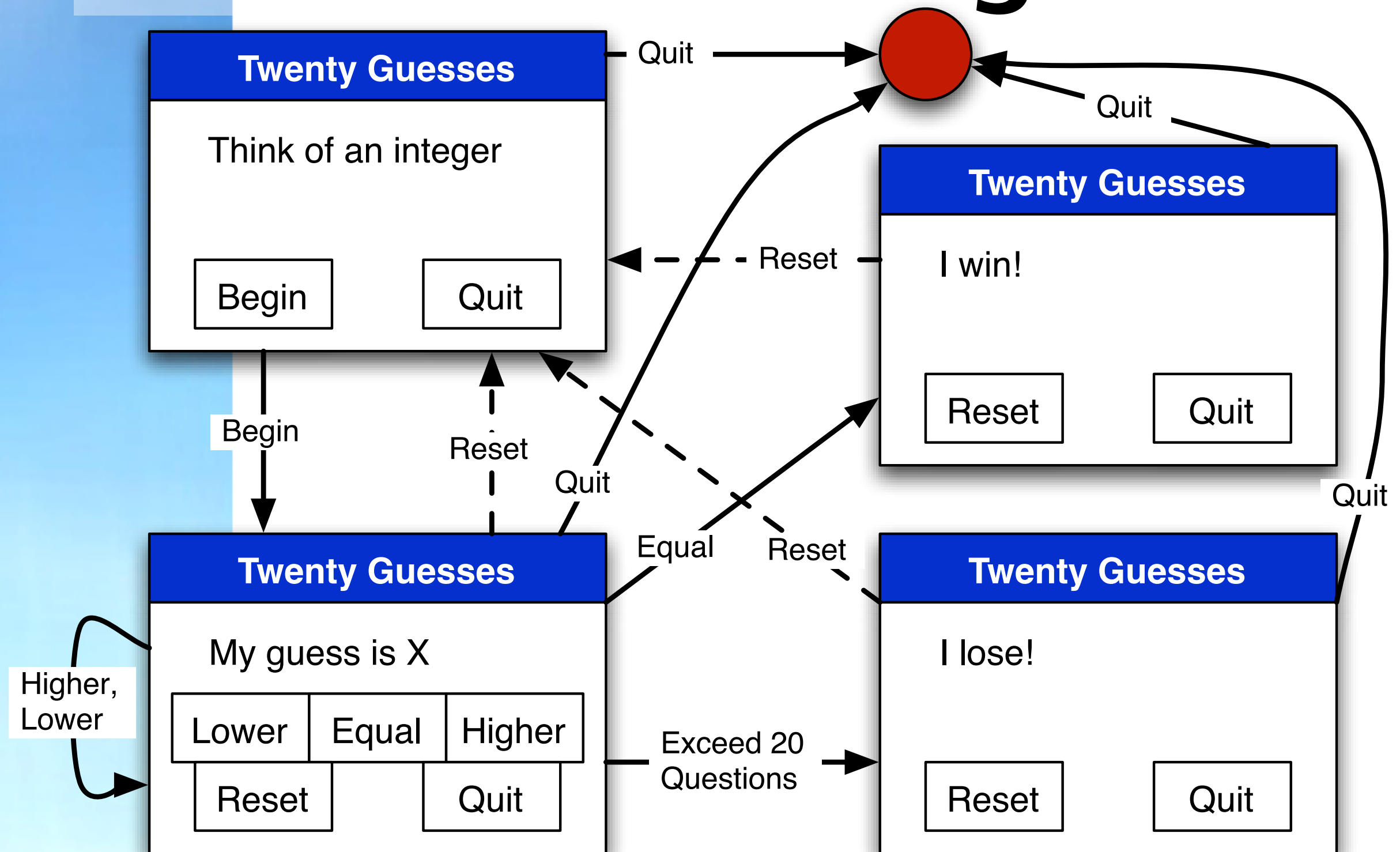
Twenty Guesses:

- One player thinks of an integer
- Second player allowed up to 20 guesses to determine the integer
- Incorrect guess:
 - tell the other player whether guess is high or low
 - other player uses this information to improve guess

Problem: Twenty Guesses

- We seek a program using GUI to play the role of the guesser
- Strategy used is binary-search
 - guesser knows high and low bounds of search
 - guesses half way
 - use high/low feedback to guess halfway of smaller bound

Behavior of Program: Transition Diagram



Objects

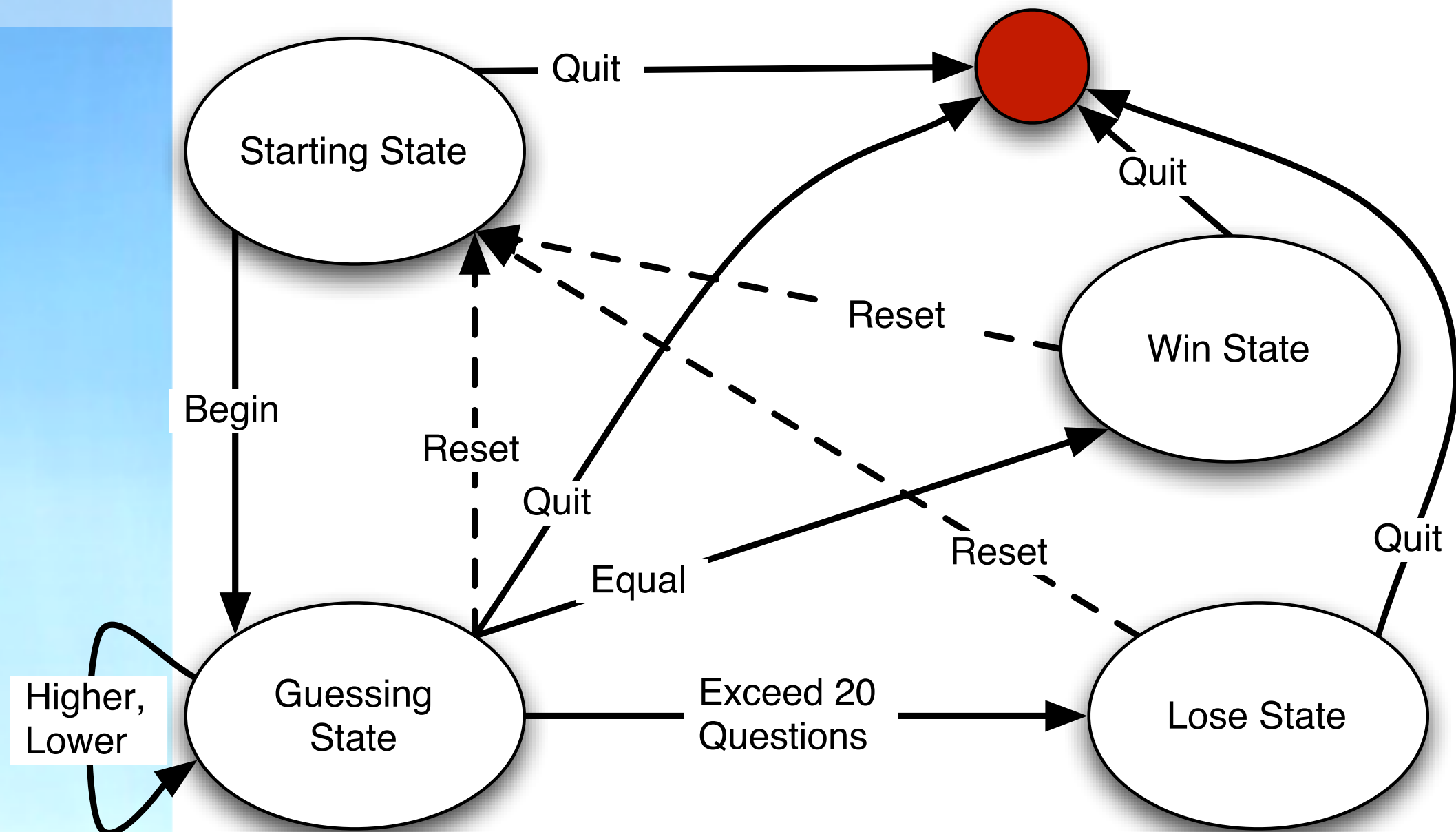
Object	Type	Kind	Name
program		varying	
prompt	Jlabel	varying	myPromptLabel
Prompt message	String	varying	
"Begin" button	JButton	varying	myBeginButton
"Quit" button	JButton	varying	myQuitButton
"Lower" button	JButton	varying	myLowerButton
"Equal" button	JButton	varying	myEqualButton
"Higher" button	JButton	varying	myHigherButton
"Reset" button	JButton	varying	myResetButton
a guess	int	varying	myGuess
Count of guesses	int	varying	myGuessCount
low bound	int	varying	myLoBound
high bound	int	varying	myHiBound

Operations

1. We need a constructor to build the GUI
2. An `actionPerformed()` method
 - a. implement the `ActionListener` interface
 - b. register itself as listener for each button
 - c. send `addActionListener()` message to each button
3. A `main()` method
 - a. create an instance of the class
 - b. make it visible

State Diagram

- A transition diagram with most details removed



Coding

- Write a method for each state
 - define its appearance in that state
- **JButtons** have **setText()** method for setting label attribute
- button with “Begin” in starting state has “Reset” in the other states
- Note full source code Figure 8.14

Applet Version of GUI Guessing Program

- Make the class extend `JApplet` instead of `CloseableFrame`
- Replace `main()` with non-static `init()` method
- Adjust dimensions of applet frame in HTML file to resemble frame for application

Part of the Picture: Intro to Algorithm Analysis

- How did Gauss figure the sum so quickly?

- Consider

$$\text{sum} = 1 + 2 + \dots + 99 + 100$$

$$\text{sum} = 100 + 99 + \dots + 2 + 1$$

- Thus

$$2 * \text{sum} = \underbrace{101 + 101 + \dots + 101 + 101}_{100 \text{ terms}}$$

- So

$$\text{sum} = \frac{100 \times 101}{2} = 5050$$

Analyzing the Algorithms

- In general, the formula is:
$$\text{sum} = \frac{n \times (n - 1)}{2}$$
- This is more efficient than the looping algorithm
 - many less operations (additions, assignments, increments, comparisons)
 - This algorithm actually has same number of operations regardless of the value of n
- Important to analyze algorithms for efficiency
 - evaluate number of operations required