# CS 152 Computer Programming Fundamentals Searching and Sorting Arrays

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#### Find index of value

```
* Find location of given value in an array.
 * Oparam x Value to search for
 * Oparam values Array to search in
 * Qreturn\ Index\ of\ x\ in\ values, or -1 if not present
public static int linearSearch(int x, int[] values) {
  for(int i = 0; i < values.length; i++) {</pre>
    if(x == values[i]) {
      return i;
  return -1:
```

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- You'll sometimes see this written as O(n) where n is the size of the array.
- Can we do better?
- What if the array is sorted?

#### Searching sorted array

```
public static int binarySearch(int x,
                                 int[] sortedValues) {
  int low = 0;
  int high = sortedValues.length - 1;
  while(low <= high) {
    int mid = (low+high)/2;
    int midVal = sortedValues[mid];
    if(x < midVal) {</pre>
    high = mid-1;
   } else if(x > midVal) {
      low = mid + 1;
   } else {
      return mid;
  return -1;
```

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- You'll sometimes see this written as  $O(\log n)$  where n is the size of the array.
- Doubling the size of the array only adds one more comparison!
- This is great, but data isn't always sorted when we get it.
- How can we sort the array?

#### Find index of largest

```
public static int indexOfLargest(int[] array) {
  int largestIndex = 0;
  for(int i = 0; i < array.length; i++) {
    if(array[i] > array[largestIndex]) {
        largestIndex = i;
    }
  }
  return largestIndex;
}
```

#### Find index of largest in range

```
public static int indexOfLargest(int[] array, int n)
  int largestIndex = 0;
  for(int i = 0; i < n; i++) {
    if(array[i] > array[largestIndex]) {
        largestIndex = i;
    }
  }
  return largestIndex;
}
```

#### Swap two elements

```
public static void swap(int[] array, int a, int b) {
  int temp = array[a];
  array[a] = array[b];
  array[b] = temp;
}
```

#### Selection sort

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# Selection Sort Complexity

- How does sorting scale with the size of the array?
- The number comparisons scales with the square of the size of the array.
- You'll sometimes see this written as  $O(n^2)$  where n is the size of the array.
- This sorting algorithm takes *quadratic* time.
- There are better/faster algorithms out there. (mergesort, quicksort, heapsort, etc.)